

The Risk Channel of Unconventional Monetary Policy

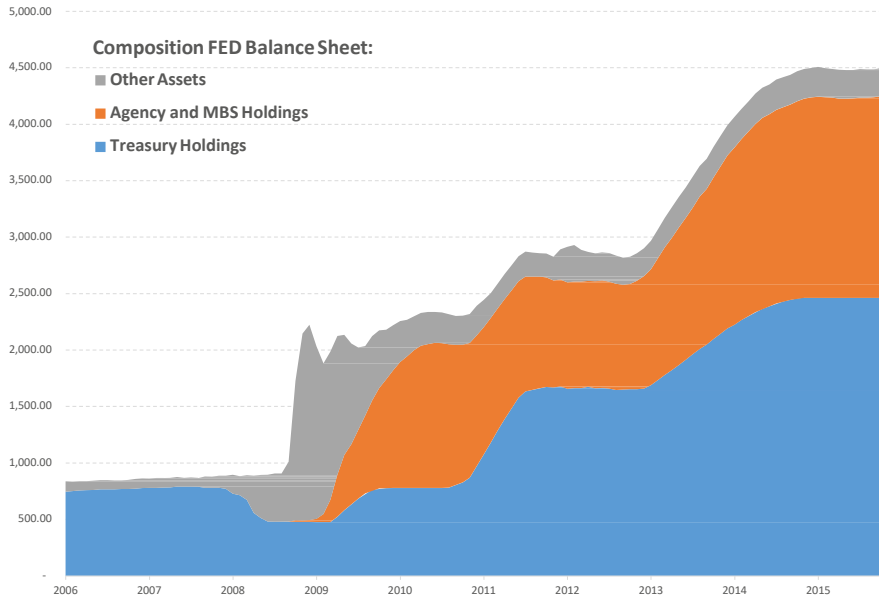
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UIUC - Finance

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Dramatic change in central bank portfolio

USD Billions



Stimulus and potential side effect

Goal: stimulate economy

Federal Reserve on objective of asset purchases

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Policy evaluation:

- Integrated view: effects on the real economy and on financial risk-taking

What are the effects of unconventional monetary policy on financial markets and the real economy?

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1) Heterogeneous Risk-Aversion

2) Limited Asset Market Participation

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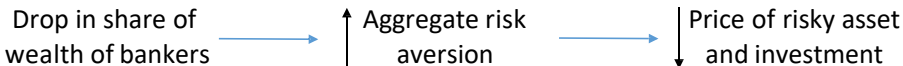
- Active traders: Savers more risk-averse than Bankers

2) Limited Asset Market Participation

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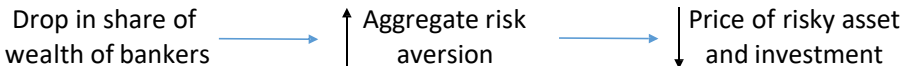


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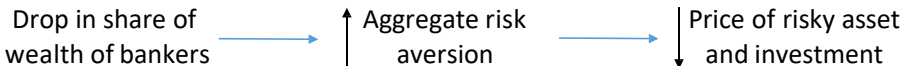
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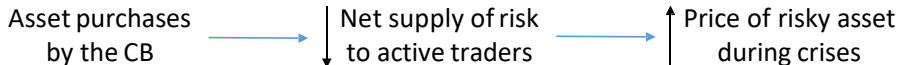
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Main findings

1) Output growth rate: Crises vs normal times

- Asset purchases \Rightarrow rise in output growth during crises
- Expectation of less severe crises \Rightarrow less output growth in normal times

2) Risk concentration and probability of crises

- Asset purchases \Rightarrow fall in risk concentration and endogenous volatility
- Stationary distribution: Probability of future crises falls

Overview of the environment:

- Continuous-time. Two goods: consumption and capital.
- **Firms** produce final goods using capital
 - Investment adjustment costs
- **Active traders** (bankers and savers) trade risky and riskless assets
 - Heterogeneity: savers are more *risk averse* than bankers.
- **Hand-to-mouth households** consume government transfers
- **Central bank** issues riskless liabilities and buy risky assets
 - Rebates the proceeds to hand-to-mouth consumers

Firms

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- The SPD satisfies

$$\frac{d\pi_t}{\pi_t} = - \underbrace{r_t}_{\text{int.rate}} dt - \underbrace{\eta_t}_{\text{mkt.price of risk}} dZ_t$$

Active traders

- Decision problem of active traders (bankers $j = b$, savers $j = s$):

$$V_j = \max_{(c_j, \alpha_j)} U_j(c_j) \quad (2)$$

subject to $n_{j,t} \geq 0$ and

$$\frac{dn_{j,t}}{n_{j,t}} = \left[r_t + \alpha_{j,t}(\mu_{R,t} - r_t) - \frac{c_{j,t}}{n_{j,t}} \right] dt + \alpha_{j,t} \sigma_{R,t} dZ_t$$

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- Preferences: continuous-time EZ preferences
 - EIS $\psi > 1$ and risk aversion γ_j
 - Savers are more risk averse than bankers: $\gamma_s > 1 > \gamma_b$
 - Mortality risk \Rightarrow stationary distribution

Hand-to-mouth consumers and the Central Bank

- Hand-to-mouth consumers: simply consume government transfers
 - Simplifying assumption
- Important is the presence of investors who don't continuously rebalance their portfolio
- Central bank is subject to No-Ponzi condition and

$$\frac{dn_{cb,t}}{n_{cb,t}} = \left[r_t + \sigma_{cb,t}\eta_t - \frac{T_t}{n_{cb,t}} \right] dt + \sigma_{cb,t}dZ_t \quad (8)$$



Central Bank

$(\sigma_{cb,t}, T_t)$ determined by policy rules

$$\sigma_{cb,t} = \sigma_{cb}(x_t, w_t); \quad T_t = T(x_t, w_t)$$

where (x_t, w_t) is the vector of state variables.

Two benchmarks

1) Homogeneous risk-aversion ($\gamma_b = \gamma_s$):



Bankers



Savers

- No risk concentration

$$\sigma_{b,t} = \sigma_{s,t}$$

- Balanced growth path
- No variation in returns/growth rates
- No balance sheet recession

2) Full participation benchmark:

No hand-to-mouth/passive traders. Fix initial (σ_{cb}, T) and consider (σ^*, T^*) .

- **Investors exactly offset policy change**
- **Neutrality result:** no changes in consumption, prices, and investment
 - Modigliani-Miller / Ricardian Equivalence type of result (see Wallace (1981)).

Market price of risk

$$\eta_t = \gamma_t [\omega_t^r (\sigma + \sigma_{q,t}) + h_t]$$

- **Aggregate risk aversion:**

$$\gamma_t = \left(\frac{x_t}{\gamma_b} + \frac{1 - x_t}{\gamma_s} \right)^{-1}$$

where x is the share of wealth of low risk version agent.

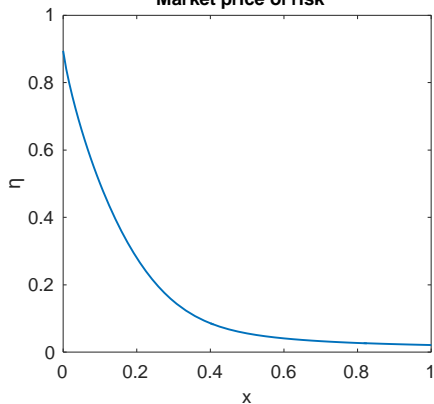
- **Net supply of risk:** ω_t^r
 - Without a central bank, $\omega_t^r=1$
- **Hedging terms:** h_t
 - Average hedging demand for

Balance sheet recession

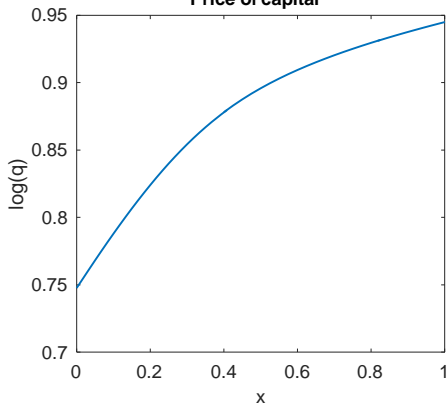
$$q_t = \frac{A - I(q_t)}{r_t + (\sigma + \sigma_{q,t})\eta_t - \mu} S_{t,t}$$

$$I^t(q_t) = q_t$$

Market price of risk



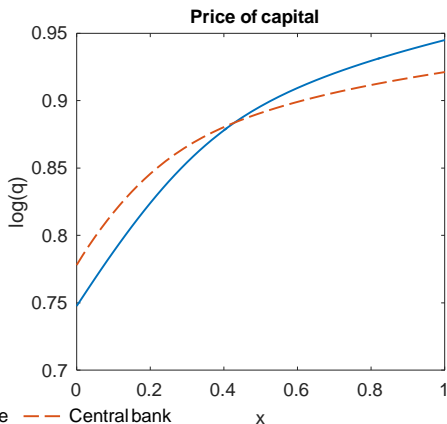
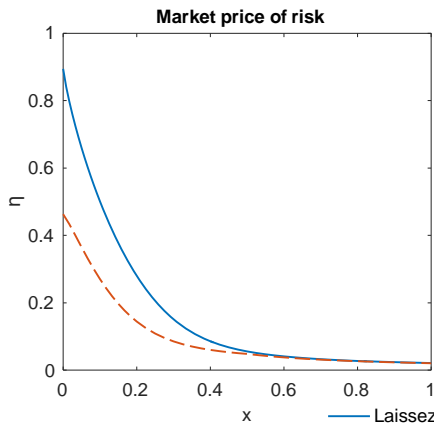
Price of capital



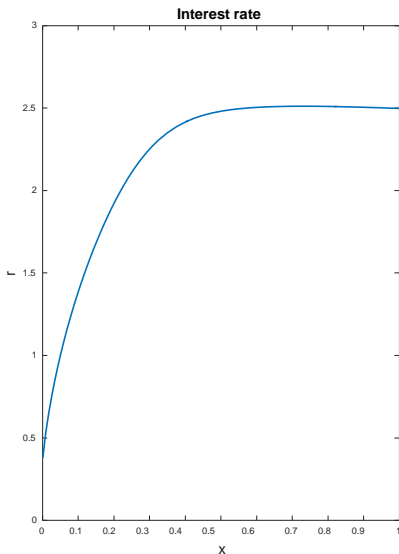
Balance sheet recession

$$q_t = \frac{A - I(g_t)}{r_t + (\sigma + \sigma_{q,t})\eta_t - \mu} S_{t,t}$$

$$i'(g_t) = q_t$$



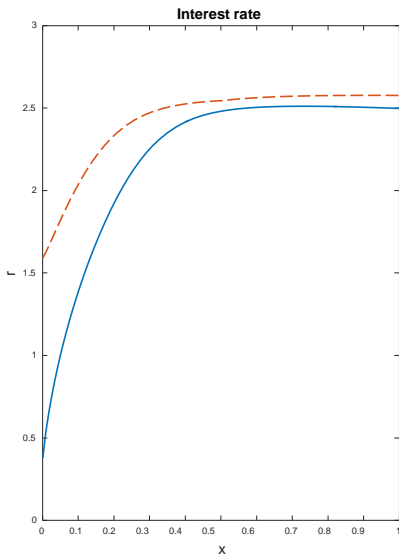
Effect on Interest Rates



Weak balance sheet of bankers:

- High aggregate risk aversion
- Precautionary savings

Effect on Interest Rates



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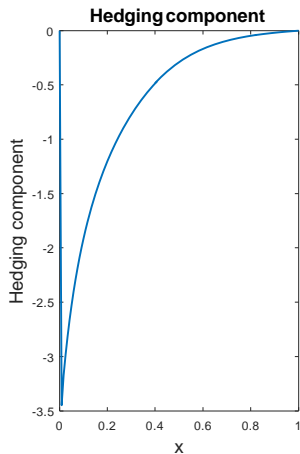
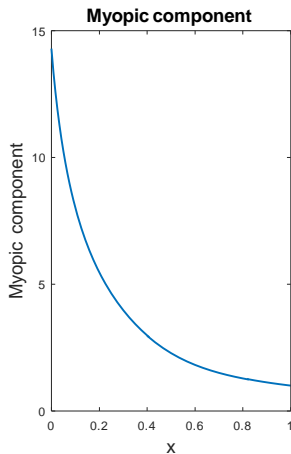
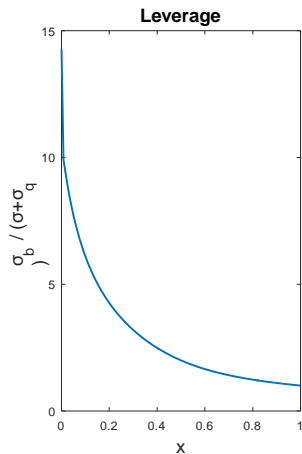
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Effect of asset purchases:

- Precautionary savings
- Intertemporal substitution

Myopic and Hedging Demands

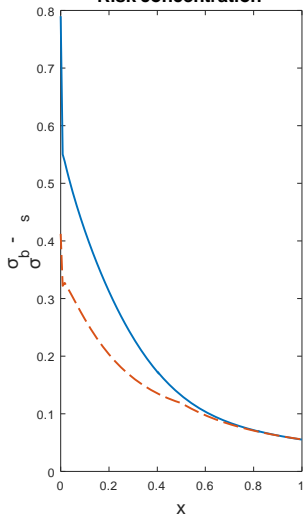
$$\sigma_{b,t} = \underbrace{\frac{\eta_t}{\gamma_b}}_{\text{myopic}} + \underbrace{\frac{1 - \gamma_b}{\gamma_b} \sigma_{\zeta,t}}_{\text{hedging}}$$



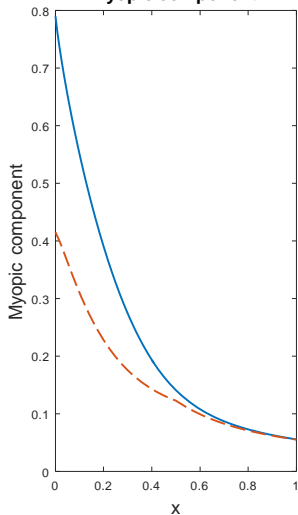
UMP and Risk Concentration

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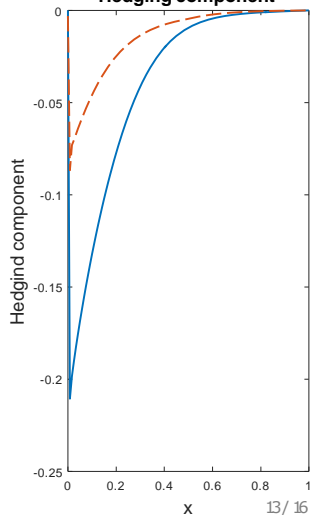
Risk concentration



Myopic component



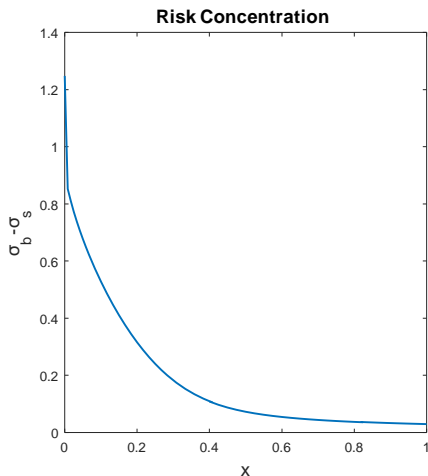
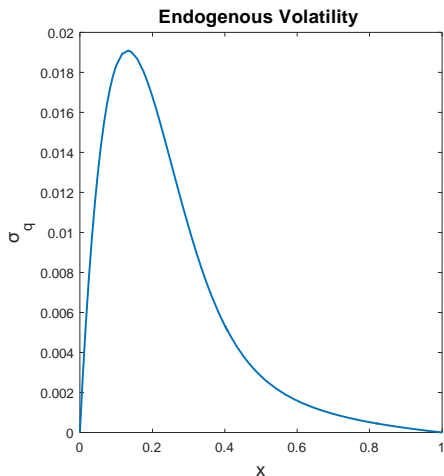
Hedging component



Endogenous volatility

$$\sigma_{q,t} = \frac{q_{X,t}}{q_t} \sigma_{X,t} + \frac{q_{W,t}}{q_t} \sigma_{W,t}$$

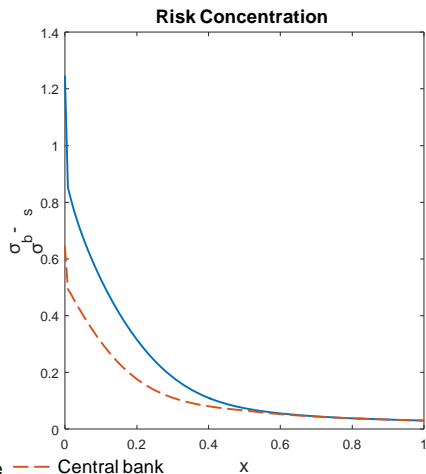
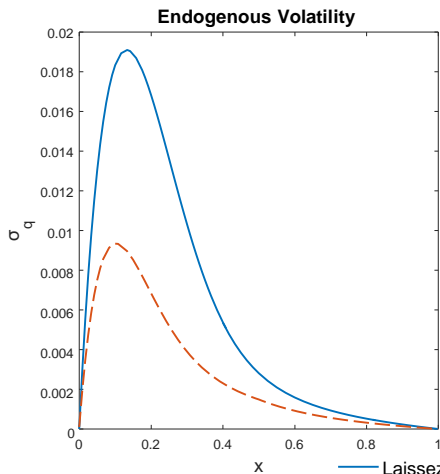
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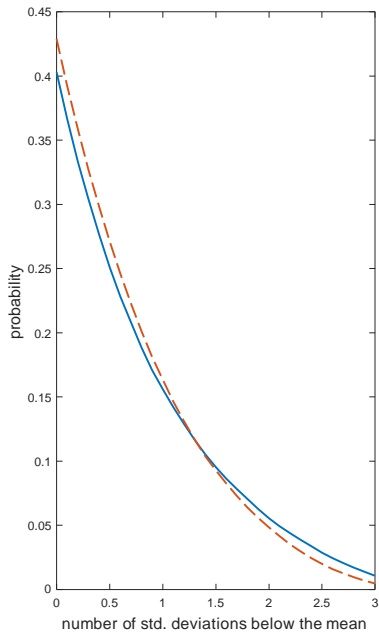
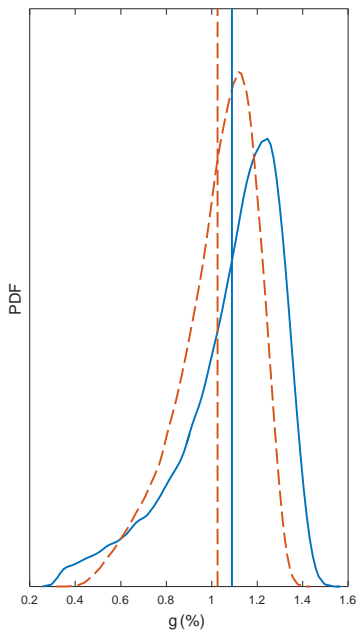
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UMP and Financial Stability



Thanks.